## Minitab Directions - 02 <br> Statistical Inference on 2 Samples

Note: If you have paired data (e.g. before and after data), use the procedure in section 2.

## 1. 2-sample t test

Note: In class we said that when both samples have 30 or more values, then we use the 2sample $\boldsymbol{z}$ test; otherwise, use the $\mathbf{2}$-sample $\boldsymbol{t}$ test. Minitab only defines the $\mathbf{2}$-sample $\boldsymbol{t}$ test. So, you will use that when you have large samples.

### 1.1. Choose: Stats/Basic Statistics/2-sample $t$

Suppose that you want to test the alternate hypothesis that women study longer than men:

$$
H_{o} \mu_{\text {Women }}-\mu_{\text {Men }} \leq 0 \text { vs. } H_{a} \mu_{\text {Women }}-\mu_{\text {Men }}>0
$$

Note the order the data is entered in the columns in the Minitab worksheet: Men, then Women. When you specify the data sets in the dialog below, you should put them in the order that you have specified them in your hypothesis. For the example above, we list "Women" for First and "Men" for Second.

1.2. Select Samples in different columns and specify the two data sets. If (see below) you can assume equal variances, then check the appropriate box.

Note: A rule-of-thumb, for our class, is to assume equal variances if the standard deviation for one data set is at least twice as large as for the other. Otherwise, we will not assume equal variances.
1.3. Choose: Options.... Specify the Confidence level, Test difference and Alternative.

Note: The Test difference and Alternative correspond with the hypothesis in step 1.1.

1.4. Choose $O K$, then choose $O K$ again and the inference results will be displayed.

Two-Sample T-Test and CI: Women, Men

```
Two-sample T for Women vs Men
\begin{tabular}{lrrrr} 
& N & Mean & StDev & SE Mean \\
Women & 40 & 45.42 & 7.68 & 1.2 \\
Men & 40 & 39.15 & 9.21 & 1.5
\end{tabular}
Difference = mu (Women) - mu (Men)
Estimate for difference: 6.27
95% lower bound for difference: 3.11
T-Test of difference = 0 (vs >): T-Value = 3.30 P-Value = 0.001 DF = 78
Both use Pooled StDev = 8.4795
Note: We get a one-sided confidence interval because we specified a one-sided alternative (>).
```

1.5. Generate a (two-sided) confidence interval, if necessary. Choose: Stats/Basic Statistics/2-sample $t$ and then Options.... There, choose the "not equal" Alternative.

1.6. Choose $O K$, then choose $O K$ again and the inference results will be displayed.

Two-Sample T-Test and CI: Women, Men

```
Two-sample T for Women vs Men
\begin{tabular}{lrrrrr} 
& N & Mean & StDev & SE Mean \\
Women & 40 & 45.42 & 7.68 & 1.2 \\
Men & 40 & 39.15 & 9.21 & & 1.5
\end{tabular}
Difference = mu (Women) - mu (Men)
Estimate for difference: 6.27
95% CI for difference: (2.49, 10.04)
T-Test of difference = 0 (vs not =): T-Value = 3.30 P-Value = 0.001 DF = 78
Both use Pooled StDev = 8.4795
```

1.7. Copy the confidence interval only into your report immediately below the one-sided confidence interval.

This is the end of 2-sample statistical inference.

## 2. Paired $t$ Test

Note: Use this procedure if you have paired data (e.g. before and after data).
2.1. Choose: Stats/Basic Statistics/Paired $t$

Suppose that you want to test the alternate hypothesis that women study longer than men:

$$
H_{o} \mu_{\text {Women }}-\mu_{\text {Men }} \leq 0 \text { vs. } H_{a} \mu_{\text {Women }}-\mu_{\text {Men }}>0
$$

Note the order the data is entered in the columns in the Minitab worksheet: Men, then Women. When you specify the data sets in the dialog below, you should put them in the order that you have specified them in your hypothesis. For the example above, we list "Women" for First and "Men" for Second.

2.2. Select Samples in columns and specify the two data sets.
2.3. Choose: Options.... Specify the Confidence level, Test difference and Alternative.

2.4. Choose $O K$, then choose $O K$ again and the inference results will be displayed.

## Paired T-Test and Cl: Women, Men

Paired T for Women - Men

|  | N | Mean | StDev | SE Mean |
| :--- | ---: | ---: | ---: | ---: |
| Women | 40 | 45.42 | 7.68 | 1.21 |
| Men | 40 | 39.15 | 9.21 | 1.46 |
| Difference | 40 | 6.265 | 3.578 | 0.566 |
|  |  |  |  |  |
| 95\% lower bound for mean difference: 5.312 |  |  |  |  |
| T-Test of mean difference $=0 \quad($ vs $>0): T-V a l u e=11.08 \quad$ P-Value $=0.000$ |  |  |  |  |

Note: We get a one-sided confidence interval because we specified a one-sided alternative (>).
2.5. Generate a (two-sided) confidence interval, if necessary. Choose: Stats/Basic Statistics/2-sample $t$ and then Options.... There, choose the "not equal" Alternative.

2.6. Choose $O K$, then choose $O K$ again and the inference results will be displayed.

Two-Sample T-Test and CI: Women, Men

```
Two-sample T for Women vs Men
\begin{tabular}{lrrrrr} 
& N & Mean & StDev & SE Mean \\
Women & 40 & 45.42 & 7.68 & 1.2 \\
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Difference = mu (Women) - mu (Men)
Estimate for difference: 6.27
95% CI for difference: (2.49, 10.04)
T-Test of difference = 0 (vs not =): T-Value = 3.30 P-Value = 0.001 DF = 78
Both use Pooled StDev = 8.4795
```

2.7. Copy the confidence interval only into your report immediately below the one-sided confidence interval

This is the end of 2-sample statistical inference.

